Wireless Channel Losses and Emperical Channel Models

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Abstract: The channel is one of the essential elements of the transmission chain .The wireless channel environment governs the performance of wireless communication systems, since the environment is unpredictable and dynamic.This will make the analysis of the wireless communication system difficult. To that end we classify the wireless channel model. In wireless communications, obstacles, such as houses, buildings, trees and mountains cause reflection, diffraction, scattering and shadowing of the transmitted signals and multipath propagation. Due to the multipath the transmitted signals arrive in different phase angles, amplitude and time interval. The fading is the amplitude fluctuation of the received signal caused by the frequency selective or time variant of the multipath channel. In this paper This paper presents the result for the free space path loss for 1km and 5 km Range of transmitter and receiver are uniform. Also provide the trends between losses and heights of obstacles and antennas The behavior of path losses at various models are discussed and concluded that among the communication models Okumura model shows the least path loss and Cost-231 model shows the largest path loss.

Keywords: Channel Models, path loss, height of obstacle, other empirical models

I. Introduction

1.1 Fading Channels

In wireless communications, obstacles, such as houses, buildings, trees and mountains cause reflection, diffraction, scattering and shadowing of the transmitted signals and multipath propagation. Due to the mutipath the transmitted signals arrive in different phase angles, amplitude and time interval. The fading is the amplitude fluctuation of the received signal caused by the frequency selective or time variant of the multipath channel. The fading process can follow Rayleigh probability distribution or Rician probability distribution, this will depend on the strength of scattering components during transmission The mobile radio channel is usually evaluated from 'statistical' propagation models: no specific terrain data is considered, and channel parameters are modeled as stochastic variables. Three mutually independent, multiplicative propagation phenomena can usually be distinguished: multipath fading, shadowing and 'large-scale' path loss.

Multipath propagation: Fading leads to rapid fluctuations of the phase and amplitude of the signal if the vehicle moves over a distance in the order of a wave length or more. Multipath fading thus has a 'small-scale' effect.

Shadowing: This is a 'medium-scale' effect: field strength variations occur if the antenna is displaced over distances larger than a few tens or hundreds of metres.

The Large scale effects determine a power level averaged over an area of tens or hundreds of metres and therefore called the 'area-mean' power. Shadowing introduces additional fluctuations, so the received local-mean power varies around the area-mean. The term 'local-mean' is used to denote the signal level averaged over a few tens of wave lengths, typically 40 wavelengths. This ensures that the rapid fluctuations of the instantaneous received power due to multipath effects are largely removed.

Path Loss: Path loss models describe the signal attenuation between a transmit and a receive antenna as a function of the propagation distance and other parameters. Some models include many details of the terrain profile to estimate the signal attenuation, whereas others just consider carrier frequency and distance. Antenna heights are other critical parameters

Path loss is one of the mechanisms causing attenuation between the transmitter power amplifier and receiver front end. Some other effects are listed below, with an indication of the order of magnitude in a GSM -like system

- Losses in the antenna feeder (0 .. 4 dB)
- Losses in transmit filters, particularly if the antenna radiates signal of multiple transmitters (0..3 dB)
- Antenna Directivity gain (0 .. 12 dB)
- Losses in duplex filter
- Fade margins to anticipate for multipath (9 .. 19 dB) and shadow losses (5 dB)
- Penetration losses if the receiver is indoors, typically about 10 dB for 900 MHz signals



Figure 1. Wireless Channel Model

Basically propagation models are of two types: 1 Plane earth propagation. 2. Free space propagation

1.2 Plane Earth Propagation Model:

The affects of propagation model on ground is not considered for the free space propagation model. Some of the power will be reflected due to the presence of ground and then received by the receiver when a radio wave propagates over ground. The free space propagation model is modified and referred to as the "Plain-Earth" propagation model by determining the effect of the reflected power. Thus this model suits better for the true characteristics of radio wave propagation over ground. This model computes the received signal to be the sum of a direct signal which reflected from a smooth, flat earth. The relevant input parameters include, the length of the path, the antenna heights, the operating frequency and the reflection coefficient of the earth. The coefficient will vary according to the type of terrain either water, wet ground, desert etc. The plane earth model in not appropriate for mobile GSM systems as it does not consider the reflections from buildings, multiple propagation or diffraction effects. Furthermore, if the mobile height changes (as it will in practice) then the predicted path loss will also be changed.

ii. Propagation over a Plane Earth

If we consider the effect of the earth surface, the main effect is that signals reflected off the earth surface may (partially) cancel the line of sight wave.



Figure 2. Propagating over plane earth

Table.1 for different heights of transmitter and receiver with fixed carrier frequency and Distance b/w Tx and Rx= 1km:

parameter	At carrier frequency 100 Mhz; Transmitter Height =30 mts; Receiver Height =30 mts; $(\epsilon_{\star})=15$	At carrier frequency 100 Mhz; Transmitter Height = 10 mts; Receiver Height = 50 mts; (€.)=15
Horizontal polarization(R)	0.9685 degrees	0.9788 degrees
Vertical Polarization (R)	0.6127 degrees	0.7237 degrees

1.3 Free Space Propagation

The free space propagation model assumes a transmit antenna and a receive antenna to be located in an otherwise empty environment. Neither absorbing obstacles nor reflecting surfaces are considered. In particular, the influence of earth surface is assumed to be entirely absent.



Figure 3 : Transmit antenna modeled as a point sourceTransmit power is spread over the surface area of a hypothetical sphere. The receiver antenna has an aperture A, illustrated in orange The surface area of a sphere of radius d is $4\pi d^2$. The power density w at distance d from a transmitter with power p_T and antenna gain G_t is

$$w = p_T \, G_t / \, (4 \, \pi \, d^2).$$

The available power p_R at a receive antenna with gain G_R is

$$p_R = \frac{P_T G_T}{4\pi d^2} \cdot A = \frac{\lambda^2}{(4\pi d)^2} G_T p_T G_R$$

where A is the effective area or `aperture' of the antenna, with $G_R = 4\pi A / \lambda^2$. The wavelength is c / f_c with c the velocity of light and f_c the carrier frequency. The product $G_t p_T$ is called the effectively radiated power (ERP) of the transmitter.

Path Loss Law

As the propagation distance increases, the radiated energy is spread over the surface of a sphere of radius d, so the power received decreases proportional to d^2 . Expressed in dB, the received power is

 $P_{dB}=P_o - 20 \log d/d_o$

the path loss L between two isotropic antennas ($G_R = 1$, $G_t = 1$) can be expressed as $L = -32.44 - 20 \log f_c - 20 \log d$, where the loss is found in dB

Table 2. path loss vs carrier Frequency for standard distance 1Km

1						
Carrier frequency (Mhz)	10	60	100	400	600	900
Distance (metres)	1000	1000	1000	1000	1000	1000
Attenuation (in dB)	52.44	68.00	72.44	84.48	88.00	91.53

Carrier frequency(MHz)	10	60	100	400	600	900
Distance(meters)	5000	5000	5000	5000	5000	5000
Attenuation (in dB)	66.42	81.98	86.42	98.46	101.98	105.50

Table3. Path loss vs Carrier frequency for 5000 km



Figure 4.Uniform free space loss at different ranges of transmitter and receiver

iii. Egli's Model

In contrast to the theoretical plane earth loss, Egli measured a significant increase of the path loss with the carrier frequency f_c for ranges $1 \le d \le 50$ km. He proposed the semi-empirical model.

Distance (Meters)	50	300	1000	2000	3000
Attenuation in	Not valid	Not valid	Not valid	84.43	91.48
dB	distance	distance	distance	Valid distance.	Valid
	.It is free	It is a free	It is a free	Egli path loss	distance.
	space loss	space loss	space loss		Egli path loss

Table4. Losses present for various ranges between Tx and Rx

Egli's has proposed the path loss must be less than theoretical free space loss i.e., he introduced a frequency dependent empirical correction $(40 \text{ MHz}/f_c)^2$ for carrier frequencies 30 MHz $\leq f_c \leq 1$ GHz. To achieve the condition adjust heights of the Transmitter and receiver as required

$$p_R = \left(\frac{40\,MHz}{f_c}\right)^2 \frac{\left(h_T h_R\right)^2}{d^4} p_T G_T G_R$$

Table 5 : Fixed heights but different carrier frequencies:

parameter	Carrier Frequency=100MHz; Transmitter height=20 mts;		Carrier Frequency =900MHz; Transmitter height=20 mts;	
	Receiver height =20metre		Receiver height =20metre	
Distance (Meters)	Up to 699	700 Up to 670		671
Attenuation in dB	Not valid distance	69.72	Not valid distance	88.07
	Only free space loss		Only free space loss	

Diffraction Loss:



Figure 5: Path profile model for (single) knife edge diffraction

If the direct line-of-sight is obstructed by a single knife-edge type of obstacle, with height h_m we define the following diffraction parameter v:

$$v = -h_{\pi} \left(\sqrt{\frac{2}{\lambda} \left(\frac{1}{d_T} + \frac{1}{d_R} \right)} \right)$$

where d_t and d_R are the terminal distances from the knife edge. The heights must be out of the field of antennas The diffraction loss, additional to free space loss and expressed in dB, can be approximated by

$A_D=0$	if $v \leq 0$
$A_D = 6 + 9 v + 1.27 v^2$	if $0 \le v \le 2.4$
$\Delta_{\rm p}=13+20\log v$	if $v > 24$

 a) distance between receiver and obstacle= 80mts b) distance between transmitter and obstacle= 90mts c) height of the obstacle =5metre d) carrier frequency= 100 Mhz 	SKE loss= 57.05 dB Free space loss = 11.14 dB Over all attenuation = 68.19db
 a) distance between receiver and obstacle= 100mts b) distance between transmitter and obstacle= 90mts c) height of the obstacle=5metre d) carrier frequency= 100 Mhz 	SKE loss= 58.01 dB Free space loss = 10.89 dB Over all attenuation = 68.90db
 a) distance between receiver and obstacle= 60mts b) distance between transmitter and obstacle= 90mts c) height of the obstacle=5metre d) carrier frequency= 100 Mhz 	SKE loss= 55.96 dB Free space loss = 11.53 dB Over all attenuation = 67.49db
 a) distance between receiver and obstacle= 60mts b) distance between transmitter and obstacle= 80 mts c) height of the obstacle=5metre d) carrier frequency= 100 Mhz 	SKE loss= 55.36 dB Free space loss = 11.65 dB Over all attenuation = 67.01db

Table 6: different cases of diffraction losses:

Many measurements of propagation losses for paths with combined diffraction and ground reflection losses indicate that knife edge type of obstacles significantly reduce ground wave losses. Blomquist suggested two methods to find the total loss and the empirical formula

Many measurements of propagation losses for paths with combined diffraction and ground reflection losses indicate that knife edge type of obstacles significantly reduce ground wave losses. Blomquist suggested two methods to find the total loss and the empirical formula

$$A_{B_2} = A_{f_N} + \sqrt{A_r^2 + A_d^2} \qquad \qquad A_{B_1} = A_{f_N} + A_r + A_d$$

where A_{fc} the free space loss, A_R the ground reflection loss and A_D the multiple knife-edge diffraction loss in dB values.

Many measurements of propagation losses for paths with combined diffraction and ground reflection losses indicate that knife edge type of obstacles significantly reduce ground wave losses. Blomquist suggested two methods to find the total loss and the empirical formula where Afs the free space loss, AR the ground reflection loss and AD the multiple knife-edge diffraction loss in dB values.

II. Empirical Propagation Models

Okumura and hata are among the two empirical propagation models. The two basic propagation models are free space loss and plane earth loss would be requiring detailed knowledge of the location and constitutive parameters of building, terrain feature, every tree and terrain feature in the area to be covered. It is too complex to be practical and

would be providing an unnecessary amount of detail therefore appropriate way of accounting for these complex effects is by an empirical model. There are many empirical prediction models like,

- EGLI's model
- OKUMURA's model
- HATA's model
- COST 231 HATA
- SAKAGAMI- KUBOI model,
- BERTONI-WALFISCH MODEL
- IKEGAMI model

2.1 Channel Models:

A **macrocell** is a cell in a mobile phone network that provides radio coverage served by a high power cellular base station (tower). Generally, macrocells provide coverage larger than micro cell. The antennas for macro cells are mounted on ground-based masts, rooftops and other existing structures, at a height that provides a clear view over the surrounding buildings and terrain. Macrocell base stations have power outputs of typically tens of watts. Macrocell performance can be increased by increasing the efficiency of the transreciever. The term **macrocell** is used to describe the widest range of cell sizes. Macrocells are found in rural areas or along highways.

Micro-Cellular Path Loss

Microcellular networks use a cell size of, say, 200 to 2,000 meters. Propagation models for micro-cellular communication typically model the path loss law as a transition from free space propagation to ground wave propagation. if $d < d_g$ where theoretically the turnover distance d_g occurs at $d_g < 4h_R h_T /$, where d is the distance of the radio link under study, h_R and h_T are the heights of the receiving and transmitting antenna respectively, and λ is the wavelength of the transmitted wave.

Indoor Wireless RF Channels

The vehicular cellular phone systems initiated a rapid growth of wireless communication. However, with the growth of these systems cell sizes are made smaller and smaller to increase user capacity. Examples of indoor systems are telephony (cardless phones and wireless PABX-es) and data services (e.g. wireless LAN"s). The indoor channel can less easily be captured in rough path loss exponents. While delay spreads are often much smaller than outdoors, the indoor systems often have to carry very high data rates, e.g. to support wireless multimedia computing. There are several causes of signal corruption in a wireless channel. The primary causes of attenuation are distance, penetration losses through walls and floors and multipath propagation.

These models can be broadly categorized into three types; empirical, deterministic and stochastic. Empirical models are those based on observations and measurements alone. These models are mainly used to predict the path loss, but models that predict rain-fade and multipath have also been proposed. The deterministic models make use of the laws governing electromagnetic wave propagation to determine the received signal power at a particular location. Deterministic models often require a complete 3-D map of the propagation environment

2.2 Path Loss and Coverage Prediction

i.Deterministic approach

Ray tracing allows deterministic prediction of signal level received at various indoor locations. In ray tracing, a large collection of possible propagation paths is evaluated and the amplitude and delay of each relevant path is considered. For narrowband coverage prediction an accuracy of about 2 dB has been achieved, but this requires a high-resolution 3D data base of the environment, accurate knowledge of building materials and calibration of

predictions against actual measurements.

ii. Statistical approach

Signal attenuation over distance is observed when the mean received signal power is attenuated as a function of the distance. For indoor propagation the mechanism effects a wave guidance through corridors can occur. The path loss typically is of the form

Power = distance

The path loss exponent n may range from about 2 (in corridors) to 6 (for cluttered and obstructed paths). For frequencies between 800 MHz and 1.9 GHz, COST 231 reports the following values for the path loss exponent n:

Environment	Exponent n	Propagation Mechanism
Corridors	1.4 - 1.9	Wave guidance
Large open	2	Free space loss
Furnished	3	Free space Loss + multipath
Densely	4	Non-LOS, diffraction, scattering
Between	5	Losses during floor / wall

Table. 7 Range of exponent n for different environments

Other models predict that the indoor path loss follows the law:

$L = L_{FS} + c$ distance

where c is on the order of 0.2 to 0.6 dB per meter. This models has been proposed for metropolitan office buildings, for propagation distances from 1 to 100 meter and frequencies between 900 MHz and 4 GHz.

b.Multipath

The results of multipath are from the fact that the propagation channel consists of several obstacles and reflectors. Thus, the received signal arrives as an unpredictable set of reflections and / or direct waves each with its own degree of attenuation and delay. In indoor multipath waves tend to arrive in clusters. Within one cluster, paths have relatively small differences in delay. Delays between clusters are larger.

C. Rate Of Fading

Time variation of the channel occurs if the communicating device (antenna) and components of its environment are in motion. Fortunately, the degree of time variation within an indoor system is much less than that of an outdoor mobile system. For wireless LAN's this could mean that an antenna place in a local multipath null, remains in fade for a very long time. Measures such as diversity are needed to guarantee reliable communication irrespective of the position of the antenna. Wideband transmission could provide frequency diversity.

D. Path Loss, Wall Penetration And Cell Layout

An important issue for indoor cellular reuse systems is the possibility of interference from users in adjacent cells. In designing cells it would be convenient if natural barriers such as walls and ceilings/floors could be used as cell boundaries.

Attenuation Factor	900 MHz	1700 MHz
Floor	10 dB	16 dB

A signal at 1.2 GHz traversing a wall looses 3 to 8 dB of its energy. User experience with wireless LANs is that in the 2.4 and 5GHz bands, communications signal propagate through a limited number walls and ceilings, but at higher frequencies (17 GHz) the signal is very weak after attenuation by a concrete or brick wall. An appropriate statistical model can be to assume a building penetration loss of 12 dB with a standard deviation of 10 dB.

2.3 Okumura Propagation Model

Okumura's model was developed during the mid 1960's as the result of large-scale propagation model is one of the most frequently used macroscopic propagation models. conducted in and around Tokyo. The model was designed for use in the frequency range 150 up to 2000 MHz and mostly in an urban propagation environment. Formula for Okumura Model is expressed below .Okumura's model assumes that the path loss between the TX and RX in the terrestrial propagation environment can be expressed as:

$$L_{\text{Median}} = L_{FS} + A_{mu} + H_{tu} + H_{ru}$$

where:

Median path loss between the TX and RX expressed in dB Path loss of the free space in dB

 L_{FS^-} Path loss of the free space in dB A_{mu^-} "Basic median attenuation" –additional losses due to propagation in Urban environment in dB

 H_{tu} - TX height gain correction factor in dB

 H_{xy} - RX height gain correction factor in dB

The free space loss term can be calculated analytically using

 $L_{FS} = 32.45 + 20 \log (d) + 20 \log (f) - 10 \log (G_T) - 10 \log (G_R)$

Where d is the distance between transmitter and receiver in Kilo meters

f is operating frequency in Mega hertz

G_T transmitting antenna gain

L_{Median} -

GR is receiving antenna gain

The effective antenna height is calculated as the height of the antenna's radiation above the average terrain. The terrain is averaged along the direction of radio path over the distances between three and fifteen kilometers .Due to its simplicity and the fact that it is one of the first models developed for the mobile cellular propagation environment, Okumura's model is one of the most widely used models. Some difficulties are:

1. If the average height of the terrain is above the height of the radiation centerline, the effective antenna

2. height may become negative.

3. The whole empirical nature of the Okumura model means that its applicability is limited to parameter

4. ranges used in the model development

- 5. Use of the effective antenna height is limited to the cases of large cell radii. If the cell radius is smaller
- 6. than 3 km, the use of effective antenna height does not seem appropriate.

2.4 Hata Model:

Hata established empirical mathematical relationships to describe the graphical information given by Okumura. Hata's formulation is limited to certain ranges of input parameters and is applicable only over quasi-smooth terrain.

The mathematical expression and their ranges of applicability are as follows Carrier Frequency: 150 MHz $\leq f_c \leq \! 1500$ MHz

Base Station (BS) Antenna Height: 30 m ≤h_b ≤200 m

Mobile Station (MS) Antenna Height: 1 m ≤h_m ≤10 m

Transmission Distance: 1 km ≤d ≤20 km

$A + B \log_{10} (d)$	for urban areas
$L_{p} (dB) = A + B \log_{10} (d) - C$	for suburban area
$A + B \log_{10} (d) - D$	for open area

Where

$$\begin{split} \mathbf{A} &= 69.55 + 26.161 \log_{10} \, (\mathbf{f_c}) - 13.82 \, \log_{10} \, (\mathbf{h_b}) - \mathbf{a} \, (\mathbf{h_m}) \\ \mathbf{B} &= 44.9 - 6.55 \, \log_{10} \, (\mathbf{h_b}) \\ \mathbf{C} &= 5.4 + 2 \, \left[\log_{10} \, (\mathbf{f_c} \,/ \, 28) \right]^2 \\ \mathbf{D} &= 40.94 + 4.78 \, \left[\log_{10} \, (\mathbf{f_c}) \right]^2 - 18.33 \, \log_{10} \, (\mathbf{f_c}) \end{split}$$

Where, a (h_m) =

[1.1log ₁₀ (f _c) -0.7] h _m - [1.56log ₁₀ (f _c) -0.8] for medium or small cities			
$8.29[\log_{10}(1.54 \text{ h}_{m})]^2 - 1.1$	for large city and $f_c \leq 200 \text{ MHz}$		
$3.2 \left[\log_{10} \left(11.75 h_m \right) \right]^2 - 4.97$	for large city and $f_c \ge 400 \text{ MHz}$		

2.5 COST-231 Model

The COST231-Hata model extends Hata's model for use in the 1500-2000 MHz frequency range, where it is known to underestimate path loss. The model is expressed in terms of the following parameters Most future PCS systems are expected to operate in the 1800-2000 MHz frequency band.

The path loss according to the COST-231-Hata model is expressed as:

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L_{p}(dB) = A + B \log 10 (d) + C
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The common representation formula of different communication models is

PL (d) = PL (d0) + 10nlog10

Where

d= Distance between Transmitter station and Mobile station

do= Reference point

n= Path loss exponent

Distance(km)	Okumura path loss(db)	Hata path loss(db)	Cost-231path loss(db)
0	20	200	250
2	57	250	298
8	62	258	302
12	71	262	310
16	72.2	270	315
18	72.3	272	317

Table 8 .Comparison of path loss of communication models with respect to distance



Figure 6. Path Loss variations for Different propagation Models:

2.6 Bertoni-Walfisch Model

The model of BERTONI-WALFISCH takes into account positioning of buildings 1 "influence on a communication mobile radio. He assumes that spread is made in most cases by diffraction at the top of buildings being in the neighborhood of the mobile receiver. It considers that attenuation of course am composed of three parties:

- Attenuation between two antennae in free space
- Attenuation sudden by the field at the top of building, who is owed to the losses of diffraction across a
- series of rows building.
- The losses of diffraction at the top of building neighbor of the motive.

The total attenuation is expressed as follows:

Af = Af0 + Af1

With: Af0: is the attenuation in free space given by relation

 $Af0 = 32.4 + 20 \log (f) + 20 \log (D)$

Af1: correction term which takes into account the curvature of the earth and the urban environment.

 $Af1 = 57.1 + Log (f) + A - 18 log (h_b) + 18 log (D) - 18 log (1 - D^2/17 h_s)$ $A = 5 log [(d/2)^2 + (h_b - h_m)^2) - 9log (d) + 20 log (Tan-1(2(h_d-h_b/d)))$

Where: D: Distance in Km.

f: Frequency in MHz.

d: Distance between buildings in (m).

 h_b : The medium height of buildings in (m).

- hs: The height of the basic station.
- h_m : Height of the motive in (m).

This model is applicable to urban areas and suburban. It assumes that the antenna heights of base stations are quite high and surrounded by rows of buildings of similar height and regularly spaced apart by a distance d.

2.7 IKEGAMI Model

It is based on the theory of geometric perspective, where they consider the spread of the wave restricted in two rays. He assumes moreover, an ideal structure of a city with an uniform height of buildings. It is expressed by following relation:

$$Af = Af0 + Af1$$

With: Af0: Free-space loss given previously (model of BERTONI-WALFISCH).

Af1: Weakening of reflection, diffraction, it is given by:

$$Af1 = -5.8 - 10 \log (1 + 3/L^2) - \log(w) + 20\log(h_b - h_m) + 20 \log(\sin \phi) + 10\log(f)$$

With: **•**: Orientation of the street in comparison with the incidental ray (in degree)

h_b: Medium height of buildings.

L: The coefficient of cogitation of buildings is. Ikegami assumes that buildings introduce weakening of 6dB.

2.8 Sakagami-Kuboi Model

This analysis is based on measurements performed in the Japan in urban circles. These measurements are analyzed by the procedure of numerous declines to find the influence of parameters characterizing urban middle on the weakening of Spread

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Aff = 100 - 7.1 \log(w) + 0.023 \phi + 1.4 \log(hmt) + 6.1 \log(hb) + 20 \log(f) + e^{13(f-3.23)} - [24.37 - 3.7(\underline{hst/} hs)]^2 - \log(dh) + (43.42 - 3.1\log(dh))\log(D)
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Where: *hs* : Height of the basic station..

hb: The medium height of buildings.

hm: Height of the motive.
D: Distance between the motive and the basic station.
hst: The height of the building in quoted by the basic station
hmt: Height of building along the road.

W: Breadth of roads.

III. Results

The frees pace path loss for 1km and 5 km distances of transmitter and receiver are observed as they are uniform For different heights of transmitter and receiver with fixed carrier frequency at 1 km Distancebetween Transmitting and receiving antennas is tabulated in Table 1.also found path Losses present for various ranges between Transmitter and Receiver at Fixed heights but different carrier frequencies are shown in Table 5.observed the various diffraction losses trend with respect to distance between receiver which are shown in Table 6 . Path Loss variations for Different propagation Models are shown in Figure 6.Thsi paper also includes many empirical prediction models like Okumura and hata etc.and concluded Okumura model shows the least path loss and Cost-231 model shows the largest path loss are Shown in Table 8.Finally This paper motive is to produce detailed knowledge about all wireless propagation models and empirical models of channel

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